

# **Industrial Robot and Automation**

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*--ABSTRACT---*

*This research paper focuses mainly on robotics and industrial level automation respect to the mathematical modelling and programming with simulation. Where the accuracy requirement is nearly 100%, the human resources cannot handle the workload and unable to achieve the required accuracy in less time; hence the industrial robots are used. The research paper mainly focused on the industrial robot and automation design and calculation. The advanced mathematical formula, mechanical & electrical component, and the programming language come together to prepare the required industrial robot. The 6-axis robot is a wellknown standard robot, which is commonly used by all kinds of MNCs for heavy and accurate work. When selecting a robot properly, it is necessary to consider the different properties of the robot, including how the robot links are connected and controlled at each joint. Next, a thorough evaluation of robotic kinematics, dynamics, and control strategies, together with all the diagnosis of deep neural networks, will describe recent efforts to accelerate the advancement of intelligent control systems for robotic systems.*

*KEYWORDS: Industrial Automation, Industrial robotics, robot, 6-axis, robots, smart manufacturing, system engineering, mechatronic engineering, robot arm.*

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# **I. INTRODUCTION**

Industrial robotics had significantly enhanced and extended to a variety of activities such as storing, painting, welding, sealing, and continue. It is necessary to monitor precisely the trajectory of the end-effector in such tasks. Industrial robots achieve their maximum financial benefit in implementations at which the volume of the output is high enough to recover spending on hardware, programming, and technical expenses but is too limited to preclude the requirement of specialized purpose-built infrastructure. However, high-volume function includes a regular model or optional modifications, such as those used in the automobile system, which is ideal for robotization. The influence of robotics on the price per unit, in terms of volume. Here, we are mainly discussed about the 6-axis standard industrial robots. First, the simulation model was developed and then, with correct programming, circuit construction, and mathematical calculation physical model was developed. Here, the mathematical formulas, simulation, circuit design, and UI design were briefly discussed.

# **1.1. 6-Axis anthropomorphic robot**

The developed industrial robot is a serial kinematic structure with 6 links connected together by 6 joints, which is starting from the base and adding up all the joints. We have two more points named: MP (Mount Point) and TCP (Tool Centre Point.) TCP is the last edge the robots.



*Figure 1: Base and joints figure 2: MP and TCP*



## **1.2. Movements**

The movement shows how the robot reaches the operational spots from one point to another one. The moment is mainly concern with the path planning, which also includes the speed and the workspace of the 6 axis robot.

# **II. FRAMES**

A frame is fundamentally a coordinate system with a particular spatial location. The frames are the geometric base of the robotic arm, and learning how and where to treat them is a crucial step. We will quickly define a few foundational frames when interacting with robots.

# **2.1. Geometrical framework**

We mainly focused on Machine Co-ordinate System, Tool Co-ordinate System, and Workpiece Coordinate System as the research paper principally concentrated on single 06-axis robot, we don't need to worry about the Global Coordinate System.

# **2.2. Frame-operations**

The frame operations deal with the two or more-prospect view to the single point, to which the operation performed, and the mathematical and logical program came into the pictures. The frame-operation primarily concerned with translation, and rotation, which are as follows,

**2.2.1 Translation**: Translation refers to the changing in the location of the object.



*figure 3: Frame translation*

$$
P_2 = \Delta F + P_1
$$
\n
$$
\begin{cases}\nx_2 = x_1 + \delta_x \\
y_2 = y_1 + \delta_y\n\end{cases}
$$
\n
$$
\begin{cases}\nz_2 = z_1 + \delta_z\n\end{cases}
$$
\n
$$
E x.: P_1 = [1, 1, 1] \Delta F = [0, -8, 0] \rightarrow P_2 = [1, -7, 1]
$$

# **2.2.2 Rotation:** Rotation represents a change in the orientation.



*figure 4: Frame rotation*

*P. a. P.C.P.C.*<br> *B.* a. P. (2)  $\frac{1}{2}$  water  $\frac{1}{2}$  with  $\frac{1}{$ **THE EXECUTE FOLLOWS HERE**<br>  $P_1$ , where  $R(\theta)$  is Rotational matrix<br>  $\begin{bmatrix} \cos \theta & 0 & \sin \theta \\ 0 & 0 & 0 \end{bmatrix}$   $\begin{bmatrix} \cos \theta & -\sin \theta & 0 \\ 0 & 0 & 0 \end{bmatrix}$ =  $R(\theta)P_1$ , where  $R(\theta)$  is Rotational matrix<br>  $(\theta) = \begin{bmatrix} 1 & 0 & 0 \\ 0 & \cos \theta & -\sin \theta \end{bmatrix}$ ,  $R_y(\theta) = \begin{bmatrix} \cos \theta & 0 & \sin \theta \\ 0 & 1 & 0 \end{bmatrix}$ ,  $R_z(\theta) = \begin{bmatrix} \cos \theta & -\sin \theta & 0 \\ \sin \theta & \cos \theta & 0 \end{bmatrix}$  $P_2 = R(\theta)P_1$ , where  $R(\theta)$  is Rotational matrix<br>  $\begin{bmatrix} 1 & 0 & 0 \\ 0 & \cos \theta & -\sin \theta \\ 0 & \sin \theta & \cos \theta \end{bmatrix}$ ,  $R_y(\theta) = \begin{bmatrix} \cos \theta & 0 & \sin \theta \\ 0 & 1 & 0 \\ -\sin \theta & 0 & \cos \theta \end{bmatrix}$ ,  $R_z(\theta) = \begin{bmatrix} \cos \theta & -\sin \theta & 0 \\ \sin \theta & \cos \theta & 0 \\ 0 & 0 & 1 \end{bmatrix}$  $R_x(\theta) = \begin{vmatrix} 1 & 0 & 0 \\ 0 & \cos \theta & -\sin \theta \\ 0 & \sin \theta & \cos \theta \end{vmatrix}$ , *In all cases a rotation of zero*  $P_2 = R(\theta) P_1$  $= R(\theta)$  $\begin{array}{c|c}\n\text{matrix} \\
\theta & 0 & \sin \theta\n\end{array} \begin{bmatrix}\n\cos \theta & -\sin \theta & 0 \\
\cos \theta & \sin \theta & \cos \theta\n\end{bmatrix}$  $P_2 = R(\theta) P_1$ , where  $R(\theta)$  is Rotational matrix<br>  $R_x(\theta) = \begin{bmatrix} 1 & 0 & 0 \\ 0 & \cos \theta & -\sin \theta \\ 0 & \sin \theta & \cos \theta \end{bmatrix}$ ,  $R_y(\theta) = \begin{bmatrix} \cos \theta & 0 & \sin \theta \\ 0 & 1 & 0 \\ -\sin \theta & 0 & \cos \theta \end{bmatrix}$ ,  $R_z(\theta) =$  $P_1$ , where R( $\theta$ ) is Rotational matrix<br>  $\begin{bmatrix} 1 & 0 & 0 \ 0 & 0 & 0 \end{bmatrix}$   $\begin{bmatrix} \cos \theta & 0 & \sin \theta \end{bmatrix}$   $\begin{bmatrix} \cos \theta & -\sin \theta & 0 \ 0 & 0 & 0 \end{bmatrix}$  $P_1$ , where  $R(\theta)$  is Rotational matrix<br>  $\begin{bmatrix} 1 & 0 & 0 \\ 0 & \cos \theta & -\sin \theta \\ 0 & \sin \theta & \cos \theta \end{bmatrix}$ ,  $R_y(\theta) = \begin{bmatrix} \cos \theta & 0 & \sin \theta \\ 0 & 1 & 0 \\ -\sin \theta & 0 & \cos \theta \end{bmatrix}$ ,  $R_z(\theta) = \begin{bmatrix} \cos \theta & -\sin \theta & 0 \\ \sin \theta & \cos \theta & 0 \\ 0 & 0 & 1 \end{bmatrix}$  $R_y(\theta) = \begin{bmatrix} 0 & 0 & 0 & 0 \\ 0 & 1 & 0 \\ -\sin \theta & 0 & \cos \theta \end{bmatrix}, R_z(\theta) = \begin{bmatrix} \cos \theta \\ \sin \theta \\ 0 \\ 0 \end{bmatrix}$ <br>degrees is equivalent to the identity matrix.  $R_X(\theta) = \begin{vmatrix} 0 & \cos \theta & -s \\ 0 & \sin \theta & \cos \theta \end{vmatrix}$ <br>In all cases a rotation<br> $\rightarrow R(\theta = 0) = I$ *In all cases a rotation of zero degrees is equivalent to the identity matrix.*<br>  $\rightarrow R(\theta = 0) = I$ <br>
Transporting a rotation matrix, we find same matrix with opposite angle of rotation.  $R(\theta = 0) \equiv$ <br>  $n$  *R*  $(-\theta) \equiv R^T$  $\rightarrow R(\theta = 0) \equiv I$  $\theta$  $R(\theta = 0) = I$ <br>Transporting a rotat<br> $\rightarrow R(-\theta) = R^T$ 

**2.2.3 Euler angle:** The rotation of robots usually given in A, B, C angles around the base X, Y, Z coordinate system,

$$
R = R_z(C)R_y(B)R_x(A) = \begin{bmatrix} c_zc_y & c_z s_y s_x - s_zc_x & s_z s_x + c_z s_y c_x \\ s_zc_y & c_zc_x + s_z s_y s_x & s_z s_y c_x - c_z s_x \\ -s_y & c_y s_x & c_y c_x \end{bmatrix}
$$
  
\nWhere,  
\n
$$
B = -s_y = a \tan 2(\pm \sqrt{1 - (R_{31})^2, -R_{31}})
$$
\n
$$
A = c_y s_x
$$
 and  $c_y c_z = a \tan 2(\pm R_{33}, \pm R_{32})$   
\n
$$
C = c_z c_y
$$
 and  $s_z c_y = a \tan 2(\pm R_{33}, \pm R_{32})$   
\n
$$
A - C = a \tan 2(R_{22}, R_{12}) (s_y = 1)
$$
  
\n
$$
A + C = a \tan 2(R_{22}, R_{12}) (s_y = -1)
$$

**2.2.4 Translation and rotations combined:** Here the T is Homogeneous Matrix, for the understand let the

rotation matrix R calculated with translation offset 
$$
\Delta
$$
 with the respect to the Z-axis.  
\n
$$
T = \begin{bmatrix} R & \Delta \\ 0 & 1 \end{bmatrix}
$$
\n
$$
R_z(\theta) = \begin{vmatrix} \cos \theta & -\sin \theta & 0 \\ \sin \theta & \cos \theta & 0 \\ 0 & 0 & 1 \end{vmatrix} \qquad \leftrightarrow \qquad \Delta = \begin{cases} \delta_z \\ \delta_z \\ \delta_z \end{cases}
$$
\n
$$
T = \begin{bmatrix} \cos \theta & -\sin \theta & 0 \\ \sin \theta & \cos \theta & 0 \\ 0 & 0 & 1 \end{bmatrix}
$$
\n
$$
T = \begin{bmatrix} \cos \theta & -\sin \theta & 0 & \delta_z \\ \sin \theta & \cos \theta & 0 & \delta_z \\ 0 & 0 & 1 & \delta_z \\ 0 & 0 & 0 & 1 \end{bmatrix}
$$

The first rotation and then the translation would use for programming and estimation. The order here is the most important one. Here under is the example to find the TCP position of fixed base frame using homogeneous translation.



*figure 5: TCP position of fixed base*

To find the position of P1, we pre-multiply P0 by the matrix T.

$$
P_1 = TP_0 = \begin{bmatrix} \cos \theta & -\sin \theta & 0 & 0 \\ \sin \theta & \cos \theta & 0 & 0 \\ 0 & 0 & 1 & h & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix} \begin{bmatrix} l \\ 0 \\ 1 \end{bmatrix} = \begin{bmatrix} l\cos \theta \\ l\sin \theta \\ h \\ h \end{bmatrix}
$$

**2.2.5 Inverted Transformations:** To find the inverted transformation we have to find initial given the final.



*figure 6: Inverted Transformations*

$$
P_0 = TP_1 \rightarrow R = R^{-1} = R^T \rightarrow \Delta = -R^T \Delta
$$
  

$$
T^{-1} = \begin{bmatrix} R^T & -R^T \Delta \\ 0 & 1 \end{bmatrix}
$$

#### **III. SIMULATION AND DESIGN**

With the proper understanding of the mathematical formula and concept, the robot simulation was carried out based on Unity 3D. The Unity 3D engine helps to create virtual Industrial based robot with professional interaction. Before the creation of the physical robotic model, the simulation based on the proper mathematical functional was developed. Unity is capable to control the physical industrial robot through PLC or Raspberry pi with TCP/IP function. Here we have used Arduino, hence the physical model and circuit were done separately. The simulation model and the UI were discussed below.

#### **3.1 System Construction**

To prepare the virtual system it is necessary to build the model parts and assembly, first. To initiated the process, the required 3D model and the required environment were created with the FBX file, and then the file was imported into the Unity 3D. With the help of programming scripting, necessary functions were added and safety features were implemented. The real-world scenario was created so it will help to build the actual robot, know its functions and help to improve its functionality. The system framework is as follows:



#### **3.2 Model Implementation**

The 6-axis robot was designed in Solidworks, having 6 degrees of freedom, of which 3 degrees of freedom describe the end position of the robot and another 3 degrees of freedom describe the end pose of the robot. The 3D model is then imported to modify each joint, so each point can be controlled separately. The ontology and robot link co-ordinate system is shown here:





*figure 8: 6-axis robot design figure 9: robot link co-ordinate system*

# **3.4 Kinematic Analysis:**

Here the robot programming, mathematical calculation, and modeling are done with forwarding kinematics as well as inverse kinematics. The forward kinematics is the process in which we are calculating the position and orientation of the TCP given the current values of the joint axes. On the other end, the inverse transformation is the function to find the values of the joint axes given the position and orientation of TCP. These coordinates of TCP are expressed relative to the base frame. Here the main fundamental difference is shown:



*figure 10: kinematic system*

As said, forward kinematics work on the principle of joint angles to coordinates. To find the position and rotation of TCP with the respect to the base frame,

> $\boldsymbol{P}$  $=$  $\boldsymbol{R}$ where,  $R_1R_2R_3 = R_{arm}$  and  $R_4R_5R_6 = R_{wrist}$

The key point to understand the coding of kinematics formulation of the 6-axis robot is as follows,

public Matrix4x4 WKinematics (float[] angles){

……. Matrix4x4 W = T01  $*$  T02  $*$  T03  $*$  T04  $*$  T05  $*$  T06; return W;

Inverse kinematics solution can be achieve using two methods namely numerical method and analytical method. The numerical method is not stable and slow in process, where the analytical method is preferred respect to the structure of the robot. For better understanding of the inverse kinematics background, the following code is helpful:

public float[] InvKinematics(Matrix4x4 G)

{ // Wrist posture Matrix4x4  $W = G * this. ETOT.inverse * this. WTOE.inverse;$ // Joint Angle result float[] dstAngles = WInvKinematics(W); return dstAngles;

}.

}.

## **3.5 System UI of unity:**

After the successful formulation and programming of the 6-axis robot, the simulation and real-time workflow can be achieved with Unity 3D. The system UI is designed in a simple way that each joint and link are controlled separately, effectively. The auto mode is also introduced, once the robot is taught their regular or general movement, that the operator can take a break for a while and let the robot can be done the batch work itself. The main system UI consists of manual and auto mode, where each joint, tool and base control can be controlled separately. If the required speed more or lesser than it can be regulated, too. To follow the general path and specific moment, the UI also has an option to teach the robot, and let the robot perform the taught motion, and path in auto mode.



*figure 11: Unity system UI*

# **IV. PHYSICAL MODELLING**

The physical modeling process starts once the simulated and programmed robot works perfectly as per the requirement, also if any error/bugs, which found during the simulation are solved correctly. Robotic arm parts, gripper, and base (physical parts) manufactured using 3D printing and hard sheet metal, on the electronics side the Arduino is the main brain of the system, and the UI  $\&$  programming done in MIT App Inventor to control the robot using android smartphone. The HC-05 Bluetooth module helps to make the connection between the robot and android smartphone.

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## **4.1 Circuit Design**

The brain of the physical 6-axis robot is Arduino Uno, and the connection stabilized with the help of the HC-05 Bluetooth module. The programming language used for performance is C++. The Arduino Uno provides the memory to the 6-axis robot, to save the steps, repeat the saved steps and reset the function. The programming took place after observing the unity simulation behaviour, which helps to create a more stabilized version of the physical model. Here is the circuit diagram to control each part of the 6-axis robot.



*figure 12: Circuit Design*

# **4.2 Android UI Interface**

The developed unity model simulated model is compatible with PLC and RaspberryPi, for which we can use a unity 3D UI interface to control the physical model. As we have used Arduino and to control it with a smaller device like an android smartphone, we have to develop a specific app to control each part individually. The UI and android programming are done in MIT App Inventor to give it logical control to collaborate with the Arduino Uno via Bluetooth module to perform a specific operation. The following picture is the user interface to handle the 6-axis robot.



*figure 12: Android UI*

## **4.3 Motor calculation and selection**

The selection criteria of the motor are the main concern for the physical modelling. The servo motors handle all the required functions. The calculation for motor selection is shown hereunder (to provide calculation method, only waist motor selection process shown here),



*figure 12: Operation pattern*

Arm Mass =  $m = 6.5kg$ <br>Other Moment of Inertia:  $J_e = 275.708 \times 10^{-4} [kg \cdot m^2]$ (\* We haven't used any transfer<br>Secondary Side Diameter =  $D_{_{g1}}$ M e chan is m S p e cification :  $= 220$  $A = 220 m n$ <br> $B = 50 m m$  $C = na$ <br> $e = 0$  m m  $e = 0$  *m m*<br>A r m M ass = *m* = 6.5  $kg$ Other Moment of Inertia:  $J_e = 275.708 \times 10^{-4}$  [<br>Transfer Mechanism Primary Side Diameter : Transfer Mechanism Primary Side Diamete<br>( \*We haven't used any transfer mechanism)<br>Secondary Side Diameter =  $D_{s1}$  = na  $J_e = 275.708 \times 10^{-4} [kg \cdot m^2]$ *F* M echanis<br>*A* = 220 *m* m  $B = 50$ <br>*C* = *n a*  $C = na$ 2 *g* Prim ary Side M ass =  $D_{g_2}$  =<br>Secondary Side M ass =  $m_{g_1}$ (<sup>\*</sup>We haven't used any transfer mech<br>Secondary Side Diameter =  $D_{s1}$  = na<br>Primary Side Mass =  $D_{s2}$  = na Primary Side Mass =  $D_{g_2}$  = *na*<br>Secondary Side Mass =  $m_{g_1}$  = *na*<br>Belt Mass =  $m_{g_b}$  = *na* B elt M ass =  $m_{gb} = n_d$ <br>G ear R atio =  $i_g = na$ Gear Ratio<br>Efficiency Gear Ratio =  $i_s = na$ <br>Efficiency =  $\eta_s = na$ <br>Moment of Inertia =  $J_i$ *g b g*  $J_g = na$  $m \text{eter} = D_{g1} =$ <br>=  $D_{g2} = na$ *i*de Mass<br> $m_{gb} = na$  $D_{g_2} = na$ <br>=  $m_{g_1} = na$ Side Mass =<br>=  $m_{gb}$  =  $na$ 

1 *t* Acceleration Time =  $t_1 = 0.001$  [sec]<br>Constant Speed Operation Time =  $t_2 = 0.498$  [sec] Constant Speed Operation Time =  $t_2$ <br>Deceleration Time =  $t_3 = 0.001$  [sec]  $\triangleright$  O peration Pattern:  $\triangleright$  Operation Pattern:<br>Travel Amount =  $\lambda$  = 1.8 [mm (deg)] Travel Amount =  $\lambda$  = 1.8 [mm (deg<br>Rotation Speed = NM = 0.6 [r/m in] Rotation Speed = NM = 0.6 [r/min]<br>Acceleration Time =  $t_1$  = 0.001 [sec] eceleration Time =  $t_3 = 0.001$  [<br>ositioning Time =  $t_0 = 0.5$  [sec]

Positioning Time =  $t_0$ <br>• Calculation of Inertia alculation of Inertia<br>Moment of load inertia of the arm / frame culation of Inertia<br>
oment of load inertia of the arr<br>  $\frac{1}{2} \rho ABC \left( A^2 + B^2 + 12e^2 \right) = \frac{1}{4}$ • Calculation of Inertia  $\rightarrow$ 

• Calculation of Inertia  
\n
$$
\rightarrow \text{M} \text{ o m} \text{ ent of load inertia of the arm } / \text{ frame}
$$
\n
$$
J_a = \frac{1}{12} \rho A B C \left( A^2 + B^2 + 12 e^2 \right) = \frac{1}{12} m \left( A^2 + B^2 + 12 e^2 \right) = 275.708 \times 10^{-4} \left[ kg \cdot m^2 \right]
$$
\n
$$
\rightarrow \text{M} \text{ o m} \text{ ent of inertia of the transfer mechanism}
$$
\n
$$
J_x = \frac{1}{2} m_{x1} D_{x1}^2 + \frac{1}{2} m_{x2} \frac{D_{x2}^2}{2} + \frac{1}{2} m_{x3} D_{x1}^2 = 0 \left[ kg \cdot m^2 \right]
$$

$$
12
$$
  
\n⇒ M o m ent of inertia of the transfer mechanism  
\n
$$
J_{g} = \frac{1}{8} m_{g1} D_{g1}^{2} + \frac{1}{8} m_{g2} \frac{D_{g2}^{2}}{i_{g2}^{2}} + \frac{1}{4} m_{gb} D_{g1}^{2} = 0 [kg \cdot m^{2}]
$$
  
\n⇒ Total Load Inertia  
\n
$$
J_{L} = \frac{J_{T} + J_{m} n}{i_{g2}^{2}} + J_{e} + J_{g} = 551.416 \times 10^{-4} [kg \cdot m^{2}]
$$

 $\sum_{i=1}^{n}$  and  $\bullet$  Calculation of Required Torque<br>-> Load Torque(External Torque)

● Calculatio<sub>1</sub><br>→ Load Tor<br> $T_e = 0[N \cdot m]$ Calculation of R<br>Load Torque(E<br>=  $0[N \cdot m]$ 

Load Torque(External Torqu<br>= 0[N ·m]<br>Number of Operating Pulses

$$
\Rightarrow
$$
 Number of Operating  

$$
A = \frac{\lambda}{\theta s} \times i_g = 90
$$
[Pulse]

 $\frac{\lambda}{\theta s} \times i_{s} = 90$  [ Pulse ]<br>If it is not an integer, an error will occur in the actual traveling amount  $\theta s$ <br>it is no<br>Operat × e superficiency<br>and integer, and<br>ing Pulse Speed

\*If it is not an integer, an er  
\n
$$
\rightarrow \text{ Operating pulse Speed}
$$
\n
$$
f = \frac{A}{t_0 - t_1} \text{ or } \frac{A}{t_0} = 180[Hz]
$$

 $=\frac{A}{t_0 - t\mathbf{i}} \text{ or } \frac{A}{t_0} = 180[Hz]$ <br>A c c e le ration T o rque  $T_a$  R o to r inertia  $\mathbf{J}_a - n = (3.6 \degree / \Theta s)$  $_{a}$  **N** O<sub>t</sub>O<sub>1</sub> Incrtia  $_{a}$ <sup>7</sup>z]<br>*T<sub>a</sub>* Rotor inertia J<sub>o</sub>n  $s) \cdot i$  $f = \frac{A}{t_0 - t\mathbf{i}}$  or  $\frac{A}{t_0} = 180[Hz]$ <br>  $\rightarrow$  Acceleration Torque  $T_a$  Rotor inertia  $J_a$   $n = (3.6 \degree / \theta s) \cdot i$ 

$$
t_0 - t_1 \t t_0
$$
  
\n
$$
\rightarrow \text{Acceleration Torque } T_a \text{ Rotor inertia } J_a \t n = (3.6^{\circ}/\theta s) \cdot i
$$
  
\n
$$
T_a = (J_0 \cdot i^2 + J_L) \frac{\pi \cdot \theta s \cdot f}{180^{\circ} \cdot t_1} \text{ or } T_a = (J_0 \cdot i^2 + J_L) \frac{\pi \cdot \theta s \cdot f^2}{180^{\circ} \cdot n} = 4.726[N \cdot m]
$$
  
\n
$$
\rightarrow \text{Required Torque}
$$
  
\n
$$
T = T_a + T_e = 4.726[N \cdot m]
$$

.<br>C alculation of the selected motor judgment item .

•Calculation of the se<br>(Safety Factor S<sub>f</sub> = 1) *f*

alculation of the selected motor judgment from<br>fety Factor S  $_f$  = 1)<br>Safety factor S M otor torque of the rotation speed Tr = 12  $[N \cdot m]$ → Safety factor S M otor torque of the rotation speed Tr = 12[N  $\cdot$  S =  $\frac{Tr}{T}$  = 2.54

$$
\Rightarrow
$$
 Safety factor  
\n
$$
S = \frac{Tr}{T} = 2.54
$$
\n
$$
\Rightarrow
$$
 Inertia ratio

 $S = \frac{Tr}{T} = 2.54$ <br>  $\rightarrow$  Inertia ratio  $\beta$ 

$$
\rightarrow \text{Inertia ratio } \beta
$$

$$
\beta = \frac{J_L}{J_0 \cdot i^2} = 4.6
$$

 $\beta = \frac{J_L}{J_0 \cdot 1^2} = 4.6$ <br>  $\rightarrow$  A c c eleration/D e c eleration R at e T<sub>R</sub>

Acceleration-<br> $T_R = \frac{t_i}{f} = 5.54$  $\frac{t_i}{R} = \frac{t_i}{R}$ A cceleration/<br>=  $\frac{t_i}{f}$  = 5.54

#### **V. CONCLUSION**

The MNC required mainly 6-axis robots to perform and handle most of the process, which helps the manufacturing process errorless and fast. It is more convenient to first simulate the design and program the required robot as per industrial standard in unity machine, and after observing the behaviour and resolving the error, approach to building physical system which helps to save power, time, and machine. The unity is growing more popular nowadays, and also it tried to meet the industrial standard of the robot simulation. The new generation, one can say school and university students who cannot afford to build the physical system, but have the potential to learn and build industrial-based robotics system can have the platform to show their creativity, the potential to the world and also can enhance their knowledge through the simulation platform.

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